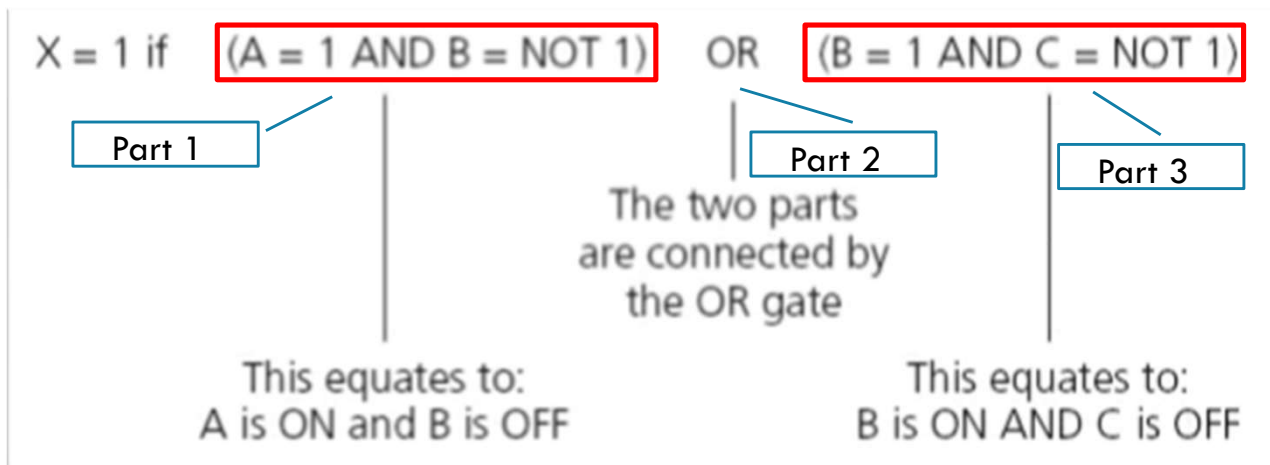


# LOGIC CIRCUIT (TYPE II)

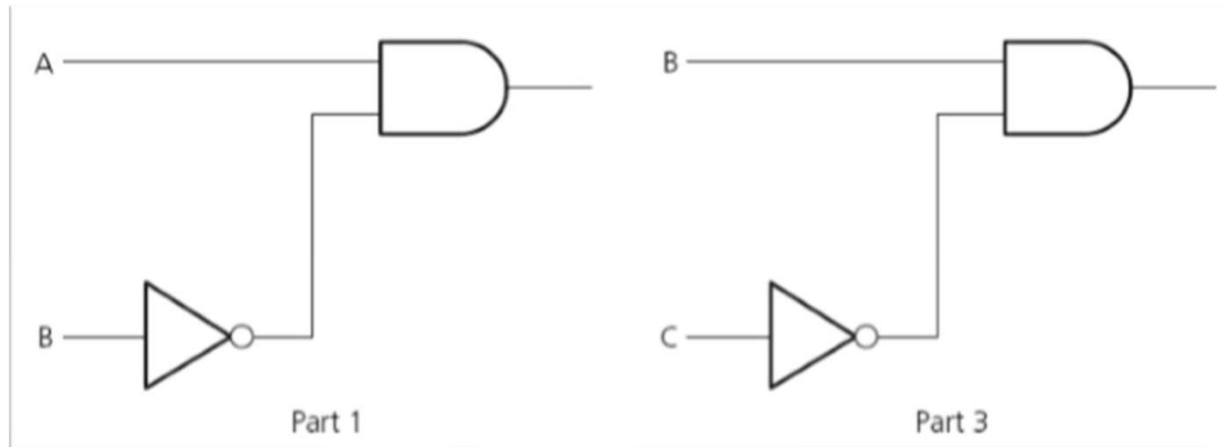
❖ Produce truth table from;

$X = 1$  if  $(A = 1 \text{ AND } B = \text{NOT } 1)$  OR  $(B = 1 \text{ AND } C = \text{NOT } 1)$



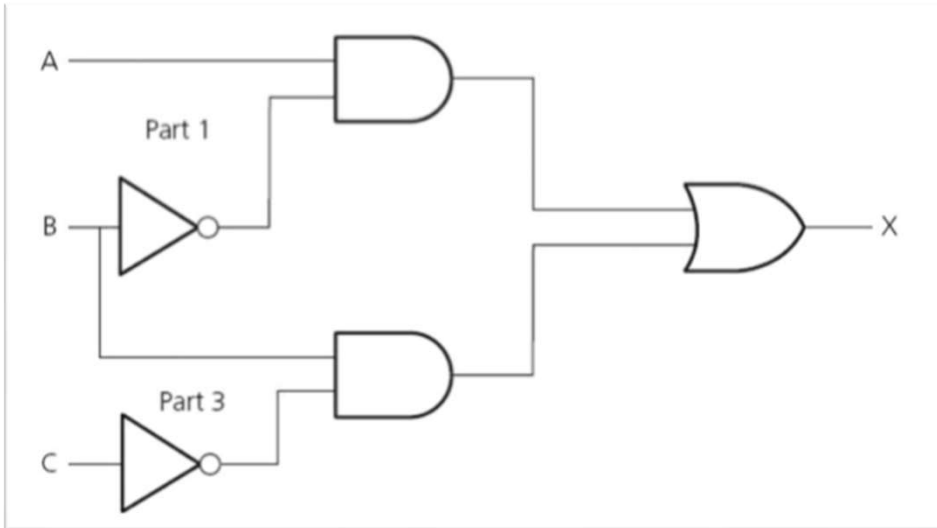
# LOGIC CIRCUIT (TYPE II)

❖ Produce logic gates for part 1 and 3



# LOGIC CIRCUIT (TYPE II)

❖ Then, combine part 1 and 3 with OR gate



Inputs			Intermediate values		Output
A	B	C	(A=1 AND B=NOT 1)	(B=1 AND C=NOT 1)	X
0	0	0	0	0	0
0	0	1	0	0	0
0	1	0	0	1	1
0	1	1	0	0	0
1	0	0	1	0	1
1	0	1	1	0	1
1	1	0	0	1	1
1	1	1	0	0	0

# LOGIC CIRCUIT (TYPE II) EXERCISE

Draw the logic circuits and complete the truth tables for the following logic statements and Boolean algebra statements:

a  $X = 1$  if  $(A = 1 \text{ OR } B = 1) \text{ OR } (A = 0 \text{ AND } B = 1)$

A	B					
0	0					
0	1					
1	0					
1	1					

# LOGIC CIRCUIT (TYPE II) EXERCISE

**b**  $Y = 1$  if  $(A = 0 \text{ AND } B = 0) \text{ AND } (B = 0 \text{ OR } C = 1)$

A	B	C					
0	0	0					
0	0	1					
0	1	0					
0	1	1					
1	0	0					
1	0	1					
1	1	0					
1	1	1					

# LOGIC CIRCUIT (TYPE II) EXERCISE

c  $T = 1$  if (switch K is ON or switch L is ON) OR (switch K is ON and switch M is OFF) OR (switch M is ON)

K	L	M					
0	0	0					
0	0	1					
0	1	0					
0	1	1					
1	0	0					
1	0	1					
1	1	0					
1	1	1					

# LOGIC CIRCUIT (TYPE II) EXERCISE

$$d \quad x = (a \cdot \bar{b}) + (\bar{b} \cdot c)$$

A	B	C					
0	0	0					
0	0	1					
0	1	0					
0	1	1					
1	0	0					
1	0	1					
1	1	0					
1	1	1					

# LOGIC CIRCUIT (TYPE II) EXERCISE

e  $R = 1$  if (switch A is ON and switch B is ON) AND (switch B is ON or switch C is OFF)

A	B	C					
0	0	0					
0	0	1					
0	1	0					
0	1	1					
1	0	0					
1	0	1					
1	1	0					
1	1	1					